

Errata for The Foundations of Statistics: A Simulation-based Approach

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Here is a list of errata for the book *The Foundations of Statistics: A Simulation-based Approach*. We are grateful to Matt Goldrick, students in Potsdam, Wolfgang Schwarz, and Christian Robert for corrections. If you find any other errors, please let me know (vasishth@uni-potsdam.de). We hope to bring out a corrected edition soon.

For each corrected item, I credit the person who found the error (MG: Matt Goldrick; CR: Christian Robert; WS: Wolfgang Schwarz; S: groups of students).

1. (**WS**): We should have mentioned in the book that the entire discussion in chapter 3 ignores the properties of the Cauchy distribution. This is especially relevant for the Central Limit Theorem.
2. (**MG**) p. 13 the function `multiplot` is used before it's defined (p. 15) in the book. It's defined in the `vb.R` code on the book's web page. You should source this code before running the code step by step. The `vb.R` file is here:

<http://www.ling.uni-potsdam.de/~vasishth/Misc/vb.R>

3. (**S**): p. 22, line 20.
"This shows us how the total probability is distributed among all the possible results of an experiment"
Period missing after experiment.
4. (**MG**): p. 32 figure 2.10 left panel should be titled "sample size 40".
5. (**CR**): p. 52 and elsewhere, the statement in the book "s is an unbiased estimator of σ " is incorrect. It should be:
"s is a standard estimator of σ "
6. (**MG**) pooled variance is mentioned on p. 92 but not defined. See here:

http://en.wikipedia.org/wiki/Pooled_variance

7. **(CR)** On p. 75 we say:

In one-sample situations our null hypothesis is that there is no difference between the sample mean and the population mean:

$$H_0 : \bar{x} = \mu \tag{1}$$

The above equation doesn't make any sense. Our null hypothesis is that the population mean is some point value (for example, zero).

8. **(MG)** Page 92 onwards: In Chapter, formulas for the standard error in the equivalence tests section are wrong. Equations 4.3 - 4.6 should all have a multiplication, not division, sign in the denominator:

Equation 4.3 (corrected):

$$t = \frac{d - \Theta}{SE} = \frac{d - \Theta}{s_{\text{pooled}} \times \sqrt{(1/n_1 + 1/n_2)}} = -2.616 \tag{2}$$

Equation 4.4 (corrected):

$$t = \frac{d + \Theta}{SE} = \frac{d + \Theta}{s_{\text{pooled}} \times \sqrt{(1/n_1 + 1/n_2)}} = 5.384 \tag{3}$$

Equations 4.5 and 4.6 (corrected):

$$t_{d \leq \Theta_L} = \frac{d - \Theta}{s_{\text{pooled}} \times \sqrt{(1/n_1 + 1/n_2)}} \tag{4}$$

$$t_{d \geq \Theta_U} = \frac{d + \Theta}{s_{\text{pooled}} \times \sqrt{(1/n_1 + 1/n_2)}} \tag{5}$$

Equations 4.7-4.10:

$$CI = d \pm 1.6565 \times SE \tag{6}$$

$$= d \pm 1.6565 \times (\sigma \sqrt{(1/n_1 + 1/n_2)}) \tag{7}$$

$$= 0.1085 \pm 1.6565 \times (0.4533 \sqrt{(1/64 + 1/70)}) \tag{8}$$

$$= 0.1085 \pm 0.1299 \tag{9}$$

9. **(CR)** p. 128: We wrote: “We have seen that a perfect correlation is perfectly linear, so an imperfect correlation will be ‘imperfectly linear’.”

What we meant to say is:

“We have seen that the perfect correlation seen above is perfectly linear; by contrast, the correlation between midterm and final scores is not perfect.”

10. **(MG)** p. 152 First occurrence of negative covariance should be positive covariance.
11. **(S)**: p. 152, the equation for covariance should be:

$$\text{Covariance} = \text{Cov}(X, Y) = \frac{\sum(X - \bar{x})(Y - \bar{y})}{n - 1}. \quad (10)$$

12. **(WS)** On p. 167, equation A.29: the operator in the middle term should be Var rather than E.